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1. Implement Binary Search using Divide and Conquer approach

Objective:

```
#include<stdio.h>
#include<conio.h>

int Binary_search(int arr[],int l,int u, int SrchElmnt)
{
    if(l<=u)
    {
        int mid = (l+ u)/2;

        if(arr[mid]==SrchElmnt)
            return 1;

        else if(arr[mid]>SrchElmnt)
            return Binary_search(arr,l,mid-1,SrchElmnt);

        else
            return Binary_search(arr,mid+1,u,SrchElmnt);
    }

    return 0;
}

main()
{
    int arr[15]={3,4,5,6,7,8,4,5,2,8,9,13,14,17,19};

    int n=15;
    int S=79;

    if(Binary_search(arr,0,n-1,S)==1)
        printf("found");
    else
        printf("not found");
}
```

2. Implement Merge Sort using Divide and Conquer approach

```
#include<stdio.h>

void mergesort(int a[],int i,int j);
void merge(int a[],int i1,int j1,int i2,int j2);

int main()
{
    int a[n0],n,i;
    printf("Enter no of elements:");
    scanf("%d",&n);
    printf("Enter array elements:");

    for(i=0;i<n;i++)
        scanf("%d",&a[i]);

    mergesort(a,0,n-1);

    printf("\nSorted array is :");
    for(i=0;i<n;i++)
        printf("%d ",a[i]);

    return 0;
}

void mergesort(int a[],int i,int j)
{
    int mid;
    if(i<j)
    {
        mid=(i+j)/2;
        mergesort(a,i,mid);      //left recursion
        mergesort(a,mid+1,j);   //right recursion
        merge(a,i,mid,mid+1,j); //merging of two sorted sub-arrays
    }
}
```

```
void merge(int a[],int i1,int j1,int i2,int j2)
/*As we are using one array instead of taking 2 different array, one array, a[] is
taken, but a[] had to be divided into two part from the index i1 to j1 and from the
index i2 to j2 */
{
    int temp[50];           //array used for merging
    int i,j,k;
    i=i1;                  //beginning of the first list
    j=i2;                  //beginning of the second list
    k=0;

    while(i<=j1 && j<=j2) //while elements in both lists
    {
        if(a[i]<a[j])
            temp[k++]=a[i++];
        else
            temp[k++]=a[j++];
    }

    while(i<=j1)           //copy remaining elements of the first list
        temp[k++]=a[i++];

    while(j<=j2)           //copy remaining elements of the second list
        temp[k++]=a[j++];

    ***** Transfer elements from temp[] back to a[] *****/
    for(i=i1,j=0;i<=j2;i++,j++)
        a[i]=temp[j];
}
```

3. Implement Quick Sort using Divide and Conquer approach

```
#include <stdio.h>

void quick_sort(int[],int,int);
int partition(int[],int,int);

int main()
{
    int a[50],n,i;
    printf("How many elements?");
    scanf("%d",&n);
    printf("\nEnter array elements:");

    for(i=0;i<n;i++)
        scanf("%d",&a[i]);

    quick_sort(a,0,n-1);
    printf("\nArray after sorting:");

    for(i=0;i<n;i++)
        printf("%d ",a[i]);

    return 0;
}

void quick_sort(int a[],int l,int u)
{
    int j;
    if(l<u)
    {
        j=partition(a,l,u);
        quick_sort(a,l,j-1);
        quick_sort(a,j+1,u);
    }
}
```

```
int partition(int a[],int l,int u)
{
    int v,i,j,temp;
    v=a[l];
    i=l;
    j=u+1;

    do
    {
        do
            i++;

        while(a[i]<v&&i<=u);

        do
            j--;
        while(v<a[j]);

        if(i<j)
        {
            temp=a[i];
            a[i]=a[j];
            a[j]=temp;
        }
    }while(i<j);

    a[l]=a[j];
    a[j]=v;

    return(j); //Position of Pivot Element
}
```

4. Find Maximum and Minimum element from a array of integer using Divide and Conquer approach

```
#include <iostream>
#include <climits>
using namespace std;

// Divide & Conquer solution to find minimum and maximum number in an array
void findMinAndMax(int arr[], int low, int high, int& min, int& max)
{
    // if array contains only one element

    if (low == high)          // common comparison
    {
        if (max < arr[low])   // comparison 1
            max = arr[low];

        if (min > arr[high])  // comparison 2
            min = arr[high];
    }

    return;
}

// if array contains only two elements

if (high - low == 1)          // common comparison
{
    if (arr[low] < arr[high]) // comparison 1
    {
        if (min > arr[low])      // comparison 2
            min = arr[low];

        if (max < arr[high])    // comparison 3
            max = arr[high];
    }
    else
    {
```

```
if (min > arr[high]) // comparison 2
    min = arr[high];

if (max < arr[low])      // comparison 3
    max = arr[low];
}

return;
}

// find mid element
int mid = (low + high) / 2;

// recur for left sub-array
findMinAndMax(arr, low, mid, min, max);

// recur for right sub-array
findMinAndMax(arr, mid + 1, high, min, max);
}

int main()
{
    int arr[] = { 7, 2, 9, 3, 1, 6, 7, 8, 4 };
    int n = sizeof(arr) / sizeof(arr[0]);

    // initialize the minimum element by infinity and the
    // maximum element by minus infinity
    int max = INT_MIN, min = INT_MAX;

    findMinAndMax(arr, 0, n - 1, min, max);

    cout << "The minimum element in the array is " << min << "\n";
    cout << "The maximum element in the array is " << max;

    return 0;
}
```

5. Find the minimum number of scalar multiplication needed for chain of matrix

```
#include<stdio.h>
#include<limits.h>

// Matrix Ai has dimension p[i-1] x p[i] for i = 1..n

int MatrixChainMultiplication(int p[], int n)
{
    int m[n][n];
    int i, j, k, L, q;

    for (i=1; i<n; i++)
        m[i][i] = 0; //number of multiplications are 0(zero) when there is only one
                      //matrix

    //Here L is chain length. It varies from length 2 to length n.
    for (L=2; L<n; L++)
    {
        for (i=1; i<n-L+1; i++)
        {
            j = i+L-1;
            m[i][j] = INT_MAX; //INT_MAX is a macro which is defined in
                                //limit.h. Through it maximum integer value can be
                                //assigned in to m[i][j]

            for (k=i; k<=j-1; k++)
            {
                q = m[i][k] + m[k+1][j] + p[i-1]*p[k]*p[j];
                if (q < m[i][j])
                {
                    m[i][j] = q; //if number of multiplications found less than number
                                  //will be updated.
                }
            }
        }
    }
}
```

```
        return m[1][n-1]; //returning the final answer which is M[1][n]
    }

int main()
{
    int n,i;
    printf("Enter number of matrices\n");
    scanf("%d",&n);

    n++;

    int arr[n];

    printf("Enter dimensions \n");

    for(i=0;i<n,i++)
    {
        printf("Enter d%d :: ",i);
        scanf("%d",&arr[i]);
    }

    int size = sizeof(arr)/sizeof(arr[0]);

    printf("Minimum number of multiplications is %d ",
           MatrixChainMultiplication(arr, size));

    return 0;
}
```

Output
Enter number of matrices
4
Enter dimensions
Enter d0 :: 10
Enter d1 :: 100
Enter d2 :: 20
Enter d3 :: 5
Enter d4 :: 80

Minimum number of multiplications is 19000

6. Implement all pair of Shortest path for a graph (Floyd-Warshall Algorithm)

```
#include<stdio.h>
int min(int,int);
void floyds(int p[10][10],int n)
{
    int i,j,k;
    for(k=1;k<=n;k++)
        for(i=1;i<=n;i++)
            for(j=1;j<=n;j++)
                if(i==j)
                    p[i][j]=0;
                else
                    p[i][j]=min(p[i][j],p[i][k]+p[k][j]);
}
int min(int a,int b)
{
    if(a<b)
        return(a);
    else
        return(b);
}
void main()
{
    int p[10][10],w,n,e,u,v,i,j;
    printf("\n Enter the number of vertices:");
    scanf("%d",&n);
    printf("\n Enter the number of edges:\n");
    scanf("%d",&e);
    for(i=1;i<=n;i++)
    {
        for(j=1;j<=n;j++)
            p[i][j]=999;
    }
    for(i=1;i<=e;i++)
    {
        printf("\n Enter the end vertices of edge%d with its weight \n",i);
```

```
scanf("%d%d%d",&u,&v,&w);
p[u][v]=w;
}
printf("\n Matrix of input data:\n");
for(i=1;i<=n;i++)
{
for(j=1;j<=n;j++)
printf("%d \t",p[i][j]);
printf("\n");
}
floyds(p,n);
printf("\n Transitive closure:\n");
for(i=1;i<=n;i++)
{
for(j=1;j<=n;j++)
printf("%d \t",p[i][j]);
printf("\n");
}
printf("\n The shortest paths are:\n");
for(i=1;i<=n;i++)
for(j=1;j<=n;j++)
{
if(i!=j)
printf("\n <%d,%d>=%d",i,j,p[i][j]);
}
```

7. Implement Single Source shortest Path for a graph (Bellman Ford Algorithm)

```
#include <stdio.h>
#include <stdlib.h>
#include <string.h>
#include <limits.h>

struct Edge
{
    // This structure is equal to an edge. Edge contains two end points. These edges
    // are directed edges so they
    // contain source and destination and some weight. These 3 are
    // elements in this structure
    int source, destination, weight;
};

// a structure to represent a connected, directed and weighted graph
struct Graph
{
    int V, E;
    // V is number of vertices and E is number of edges

    struct Edge* edge;
    // This structure contain another structure which we already created
    // edge.
};

struct Graph* createGraph(int V, int E)
{
    struct Graph* graph = (struct Graph*) malloc( sizeof(struct Graph));
    //Allocating space to structure graph

    graph->V = V; //assigning values to structure elements that taken form user.

    graph->E = E;
    graph->edge = (struct Edge*) malloc( graph->E * sizeof( struct Edge ) );
```

```

//Creating "Edge" type structures inside "Graph" structure, the
//number of edge type structures are equal to number of edges

return graph;
}

void FinalSolution(int dist[], int n)
{
    // This function prints the final solution
    printf("\nVertex\tDistance from Source Vertex\n");
    int i;

    for (i = 0; i < n; ++i){
        printf("%d \t\t %d\n", i, dist[i]);
    }
}

void BellmanFord(struct Graph* graph, int source)
{
    int V = graph->V;
    int E = graph->E;
    int StoreDistance[V];
    int i,j;

    // This is initial step that we know , we initialize all distance to infinity except
    // source.
    // We assign source distance as 0(zero)

    for (i = 0; i < V; i++)
        StoreDistance[i] = INT_MAX;

    StoreDistance[source] = 0;

    //The shortest path of graph that contain V vertices, never contain "V-1" edges.
    // So we do here "V-1" relaxations
    for (i = 1; i <= V-1; i++)
    {

```

```

for (j = 0; j < E; j++)
{
    int u = graph->edge[j].source;
    int v = graph->edge[j].destination;
    int weight = graph->edge[j].weight;

    if (StoreDistance[u] + weight < StoreDistance[v])
        StoreDistance[v] = StoreDistance[u] + weight;
}
}

// Actually upto now shortest path found. But BellmanFord checks for negative
// edge cycle. In this step we check for that
// shortest distances if graph doesn't contain negative weight cycle.

// If we get a shorter path, then there is a negative edge cycle.
for (i = 0; i < E; i++)
{
    int u = graph->edge[i].source;
    int v = graph->edge[i].destination;
    int weight = graph->edge[i].weight;

    if (StoreDistance[u] + weight < StoreDistance[v])
        printf("This graph contains negative edge cycle\n");
}

FinalSolution(StoreDistance, V);

return;
}

int main()
{
    int V,E,S; //V = no.of Vertices, E = no.of Edges, S is source vertex
    printf("Enter number of vertices in graph\n");

```

```

scanf("%d",&V);

        printf('Enter number of edges in graph\n');
scanf("%d",&E);

        printf('Enter your source vertex number\n');
scanf("%d",&S);

struct Graph* graph = createGraph(V, E); //calling the function to allocate
                                         space to these many vertices and edges

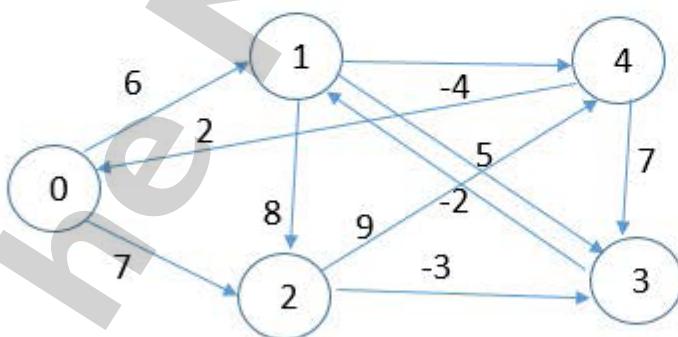
int i;
for(i=0;i<E;i++){
    printf("\nEnter edge %d properties Source, destination, weight
          respectively\n",i+1);
    scanf("%d",&graph->edge[i].source);
    scanf("%d",&graph->edge[i].destination);
    scanf("%d",&graph->edge[i].weight);
}

BellmanFord(graph, S);
//passing created graph and source vertex to BellmanFord Algorithm
function

return 0;
}

```

For the Graph



Output

Enter number of vertices in graph

5

Enter number of edges in graph

10

Enter your source vertex number

0

Enter edge 1 properties Source, destination, weight respectively

0 1 6

Enter edge 2 properties Source, destination, weight respectively

0 2 7

Enter edge 3 properties Source, destination, weight respectively

1 2 8

Enter edge 4 properties Source, destination, weight respectively

1 4 -4

Enter edge 5 properties Source, destination, weight respectively

1 3 5

Enter edge 6 properties Source, destination, weight respectively

3 1 -2

Enter edge 7 properties Source, destination, weight respectively

2 3 -3

Enter edge 8 properties Source, destination, weight respectively

2 4 9

Enter edge 9 properties Source, destination, weight respectively

4 0 2

Enter edge 10 properties Source, destination, weight respectively

4 3 7

Vertex Distance from Source Vertex

0 0

1 2

2 7

3 4

4 -2

8. Implement Single Source shortest Path for a graph (Dijkstra Algorithm)

```
#include<stdio.h>

#define MAX 100
#define NIL -1
#define infinity 9999
#define TEMPORARY 0
#define PERMANENT 1

void Path_Finder(int source, int vertex);
void Dijkstra_function(int source);
int minimum_temp();
void make_graph();

int vertices;
int adjacent_matrix[MAX][MAX];
int predecessor[MAX];
int vertex_status[MAX];
int pathLength[MAX];

int main()
{
    int source, vertex;
    make_graph();
    printf("Enter Source Vertex:\t");
    scanf("%d", &source);
    Dijkstra_function(source);
    while(1)
    {
        printf("Enter destination vertex(-1 to Quit):\t");
        scanf("%d", &vertex);
        if(vertex == -1)
        {
            break;
        }
        if(vertex < 0 || vertex >= vertices)
        {
```

```

        printf("The Entered Vertex does not exist\n");
    }
    else if(vertex == source)
    {
        printf("Source Vertex and Destination Vertex are same\n");
    }
    else if(pathLength[vertex] == infinity)
    {
        printf("There is no path from Source vertex to Destination vertex\n");
    }
    else
    {
        Path_Finder(source, vertex);
    }
}
return 0;
}

void Dijkstra_function(int source)
{
    int count, current;
    for(count = 0; count < vertices; count++)
    {
        predecessor[count] = NIL;
        pathLength[count] = infinity;
        vertex_status[count] = TEMPORARY;
    }
    pathLength[source] = 0;
    while(1)
    {
        current = minimum_temp();
        if(current == NIL)
        {
            return;
        }
        vertex_status[current] = PERMANENT;
        for(count = 0; count < vertices; count++)
        {
            if(adjacent_matrix[current][count] != 0 && vertex_status[count] ==
                TEMPORARY)

```

```

    {
        if( pathLength[current] + adjacent_matrix[current][count] <
            pathLength[count])
        {
            predecessor[count] = current;
            pathLength[count] = pathLength[current] +
                adjacent_matrix[current][count];
        }
    }
}

int minimum_temp()
{
    int count;
    int min = infinity;
    int x = NIL;
    for(count = 0; count < vertices; count++)
    {
        if(vertex_status[count] == TEMPORARY && pathLength[count] < min)
        {
            min = pathLength[count];
            x = count;
        }
    }
    return x;
}

void Path_Finder(int source, int vertex)
{
    int count, u;
    int path[MAX];
    int shortest_distance = 0;
    int temp = 0;
    while(vertex != source)
    {
        temp++;
        path[temp] = vertex;
        u = predecessor[vertex];

```

```

shortest_distance = shortest_distance + adjacent_matrix[u][vertex];
vertex = u;
}
count++;
path[temp] = source;
printf("Shortest Path\n");
for(count = temp; count >= 1; count--)
{
    printf("%d ", path[count]);
}
printf("\nShortest distance:\t%d\n", shortest_distance);
}

void make_graph()
{
int count, maximum_edges, origin_vertex, destination_vertex, weight;
printf("Enter total number of vertices:\t");
scanf("%d", &vertices);
maximum_edges = vertices * (vertices - 1);
for(count = 0; count < maximum_edges; count++)
{
    printf("Enter Edge [%d] Co-ordinates [-1 -1] to Quit\n", count + 1);
    printf("Enter Origin Vertex Point:\t");
    scanf("%d", &origin_vertex);
    printf("Enter Destination Vertex Point:\t");
    scanf("%d", &destination_vertex);
    if((origin_vertex == -1) && (destination_vertex == -1))
    {
        break;
    }
    printf("Enter the weight for this edge:\t");
    scanf("%d", &weight);
    if(origin_vertex >= vertices || destination_vertex >= vertices || origin_vertex
       < 0 || destination_vertex < 0)
    {
        printf("Edge Co - ordinates are Invalid\n");
        count--;
    }
    else
    {

```

```
        adjacent_matrix[origin_vertex][destination_vertex] = weight;  
    }  
}  
}
```

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9. Implement 8 Queen problem

```
#include<stdio.h>
#include<math.h>

int board[20],count;

int main()
{
int n,i,j;
void queen(int row,int n);

printf(" - N Queens Problem Using Backtracking -");
printf("\n\nEnter number of Queens:");
scanf("%d",&n);
queen(1,n);
return 0;
}

//function for printing the solution
void print(int n)
{
int i,j;
printf("\n\nSolution %d:\n\n",++count);

for(i=1;i<=n;++i)
printf("\t%d",i);

for(i=1;i<=n;++i)
{
printf("\n\n%d",i);
for(j=1;j<=n;++j) //for nxn board
{
if(board[i]==j)
printf("\tQ"); //queen at i,j position
else
printf("\t-"); //empty slot
}
}
```

```

}

}

/*function to check conflicts
If no conflict for desired position returns 1 otherwise returns 0*/
int place(int row,int column)
{
int i;
for(i=1;i<=row-1;++i)
{
//checking column and diagonal conflicts
if(board[i]==column)
    return 0;
else
    if(abs(board[i]-column)==abs(i-row))
        return 0;
}
return 1;//no conflicts
}

//function to check for proper positioning of queen
void queen(int row,int n)
{
int column;
for(column=1;column<=n;++column)
{
if(place(row,column))
{
    board[row]=column; //no conflicts so place queen
    if(row==n) //dead end
        print(n); //printing the board configuration
    else //try queen with next position
        queen(row+1,n);
}
}
}
}


```

Note: It is a n-quine problem,. In the place of n, if you put value as 8, it will be 8 quine problem.

10. Implement Travelling Salesman problem

```
#include<stdio.h>

int matrix[25][25], visited_cities[10], limit, cost = 0;

int tsp(int c)
{
    int count, nearest_city = 999;
    int minimum = 999, temp;
    for(count = 0; count < limit; count++)
    {
        if((matrix[c][count] != 0) && (visited_cities[count] == 0))
        {
            if(matrix[c][count] < minimum)
            {
                minimum = matrix[count][0] + matrix[c][count];
            }
            temp = matrix[c][count];
            nearest_city = count;
        }
    }
    if(minimum != 999)
    {
        cost = cost + temp;
    }
    return nearest_city;
}

void minimum_cost(int city)
{
    int nearest_city;
    visited_cities[city] = 1;
    printf("%d ", city + 1);
    nearest_city = tsp(city);
    if(nearest_city == 999)
    {
        nearest_city = 0;
```

```
    printf("%d", nearest_city + 1);
    cost = cost + matrix[city][nearest_city];
    return;
}
minimum_cost(nearest_city);
}

int main()
{
    int i, j;
    printf("Enter Total Number of Cities:\t");
    scanf("%d", &limit);
    printf("\nEnter Cost Matrix\n");
    for(i = 0; i < limit; i++)
    {
        printf("\nEnter %d Elements in Row[%d]\n", limit, i + 1);
        for(j = 0; j < limit; j++)
        {
            scanf("%d", &matrix[i][j]);
        }
        visited_cities[i] = 0;
    }
    printf("\nEnterd Cost Matrix\n");
    for(i = 0; i < limit; i++)
    {
        printf("\n");
        for(j = 0; j < limit; j++)
        {
            printf("%d ", matrix[i][j]);
        }
    }
    printf("\n\nPath:\t");
    minimum_cost(0);
    printf("\n\nMinimum Cost: \t");
    printf("%d\n", cost);
    return 0;
}
```

11. Implement Graph Coloring problem

```
#include<stdio.h>
int G[50][50],x[50]; //G:adjacency matrix,x:colors
void next_color(int k)
{
    int i,j;
    x[k]=1; //coloring vertex with color1
    for(i=0;i<k;i++){ //checking all k-1 vertices-backtracking
        if(G[i][k]!=0 && x[k]==x[i]) //if connected and has same color
            x[k]=x[i]+1; //assign higher color than x[i]
    }
}

int main()
{
    int n,e,i,j,k,l;
    printf("Enter no. of vertices : ");
    scanf("%d",&n); //total vertices
    printf("Enter no. of edges : ");
    scanf("%d",&e); //total edges

    for(i=0;i<n;i++)
        for(j=0;j<n;j++)
            G[i][j]=0; //assign 0 to all index of adjacency matrix

    printf("Enter indexes where value is 1-->\n");
    for(i=0;i<e;i++)
    {
        scanf("%d %d",&k,&l);
        G[k][l]=1;
        G[l][k]=1;
    }

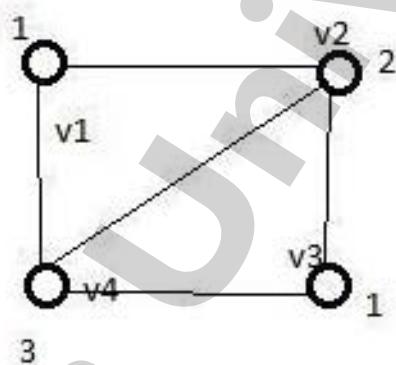
    for(i=0;i<n;i++)
        next_color(i); //coloring each vertex

    printf("Colors of vertices -->\n");
    for(i=0;i<n;i++) //displaying color of each vertex
```

```
    printf("Vertex[%d] : %d\n",i+1,x[i]);  
  
    return 0;  
}
```

NOTE : This code is written, compiled and run with GCC compiler under Linux environment Ubuntu 12.04 LTS Precise Pangolin.

Out put for the graph



Colored vertices of Graph G

Enter no. of vertices : 4

Enter no. of edges : 5

Enter indexes where value is 1-->

0 1

1 2

1 3

2 3

3 0

Colors of vertices -->

Vertex[1] : 1

Vertex[2] : 2

Vertex[3] : 1

Vertex[4] : 3

12. Implement Job sequencing with deadlines problem

```
#include <stdio.h>

#define MAX 100

typedef struct Job { // Using typedef, we can add new name of a datatype
    char id[5];
    int deadline;
    int profit;
} Job;
void jobSequencingWithDeadline(Job jobs[], int n);

int minValue(int x, int y) {
    if(x < y) return x;
    return y;
}

int main(void) {
    //variables
    int i, j;

    //jobs with deadline and profit
    Job jobs[5] = {
        {"j1", 2, 60},
        {"j2", 1, 100},
        {"j3", 3, 20},
        {"j4", 2, 40},
        {"j5", 1, 20},
    };

    //temp
    Job temp;

    //number of jobs
    int n = 5;

    //sort the jobs profit wise in descending order
    for(i = 1; i < n; i++) {
        for(j = 0; j < n - i; j++) {
```

```

        if(jobs[j+1].profit > jobs[j].profit) {
            temp = jobs[j+1];
            jobs[j+1] = jobs[j];
            jobs[j] = temp;
        }
    }

printf("%10s %10s %10s\n", "Job", "Deadline", "Profit");
for(i = 0; i < n; i++) {
    printf("%10s %10i %10i\n", jobs[i].id, jobs[i].deadline, jobs[i].profit);
}

jobSequencingWithDeadline(jobs, n);

return 0;
}

void jobSequencingWithDeadline(Job jobs[], int n) {
    //variables
    int i, j, k, maxprofit;

    //free time slots
    int timeslot[MAX];

    //filled time slots
    int filledTimeSlot = 0;

    //find max deadline value
    int dmax = 0;
    for(i = 0; i < n; i++) {
        if(jobs[i].deadline > dmax) {
            dmax = jobs[i].deadline;
        }
    }

    //free time slots initially set to -1 [-1 denotes EMPTY]
    for(i = 1; i <= dmax; i++) {
        timeslot[i] = -1;
    }
}

```

```
printf("dmax: %d\n", dmax);

for(i = 1; i <= n; i++) {
    k = minValue(dmax, jobs[i - 1].deadline);
    while(k >= 1) {
        if(timeslot[k] == -1) {
            timeslot[k] = i-1;
            filledTimeSlot++;
            break;
        }
        k--;
    }

    //if all time slots are filled then stop
    if(filledTimeSlot == dmax) {
        break;
    }
}

//required jobs
printf("\nRequired Jobs: ");
for(i = 1; i <= dmax; i++) {
    printf("%s", jobs[timeslot[i]].id);

    if(i < dmax) {
        printf(" --> ");
    }
}

//required profit
maxprofit = 0;
for(i = 1; i <= dmax; i++) {
    maxprofit += jobs[timeslot[i]].profit;
}
printf("\nMax Profit: %d\n", maxprofit);
}
```

13. Implement Longest Common Subsequence problem

```
#include<stdio.h>
#include<string.h>

int i,j,m,n,c[20][20];
char x[20],y[20],b[20][20];

void print(int i,int j)
{
    if(i==0 || j==0)
        return;
    if(b[i][j]=='c')
    {
        print(i-1,j-1);
        printf("%c",x[i-1]);
    }
    else if(b[i][j]=='u')
        print(i-1,j);
    else
        print(i,j-1);
}

void lcs()
{
    m=strlen(x);
    n=strlen(y);
    for(i=0;i<=m;i++)
        c[i][0]=0;
    for(i=0;i<=n;i++)
        c[0][i]=0;

    //c, u and l denotes cross, upward and downward directions respectively
    for(i=1;i<=m;i++)
        for(j=1;j<=n;j++)
    {
        if(x[i-1]==y[j-1])
        {
            c[i][j]=c[i-1][j-1]+1;
        }
        else
        {
            if(c[i-1][j]>c[i][j-1])
                c[i][j]=c[i-1][j];
            else
                c[i][j]=c[i][j-1];
        }
    }
}
```

```
        b[i][j]='c';
    }
    else if(c[i-1][j]>=c[i][j-1])
    {
        c[i][j]=c[i-1][j];
        b[i][j]='u';
    }
    else
    {
        c[i][j]=c[i][j-1];
        b[i][j]='l';
    }
}
int main()
{
    printf("Enter 1st sequence:");
    scanf("%s",x);
    printf("Enter 2nd sequence:");
    scanf("%s",y);
    printf("\nThe Longest Common Subsequence is ");
    lcs();
    print(m,n);
    return 0;
}
```